



<b>Introduction</b>											
1	Define algorithm. Discuss the criteria's that an algorithm must satisfy with an example.	6	Jan 18, Jul 18, Jan19								
2	Define best case, worst case and average case efficiency. Write the algorithm and give these efficiencies for sequential search.	8	Jan 20								
3	Explain space complexity and time complexity with an example.	4	Jun17								
4	Explain with an example how a new variable count introduced in a program can be used to find the number of steps needed by a program to solve a particular problem instance.	4	Jul 18								
5	Consider the following algorithm. <pre style="text-align: center;">           Algorithm GUESS (A[ ] [ ])           for i ← 0 to n - 1             for j ← 0 to i               A [i] [j] ← 0           </pre> i) What does the algorithm compute? ii) What is basic operation? iii) What is the efficiency of this algorithm?										
<b>Asymptotic Notations</b>											
6	Explain asymptotic notations Big O, Big $\Omega$ and Big $\theta$ that are used to compare the order of growth of an algorithm with example.	6	Jul 17, Jul 18, Jan 19, Jul 19, Jan 20								
7	Describe various basic efficiency classes.	8	Jul 19								
8	Prove the following statements. <table style="width: 100%; border: none;"> <tr> <td style="width: 50%;">a. <math>n^2 + 5n + 7 = \Theta(n^2)</math></td> <td style="width: 50%;">d. <math>100n + 5 = O(n^2)</math></td> </tr> <tr> <td>b. <math>\frac{1}{2} n(n-1) = \Theta(n^2)</math></td> <td>e. <math>n^2 + n = O(n^3)</math></td> </tr> <tr> <td>c. <math>\frac{1}{2} n^2 + 3n = \Theta(n^2)</math></td> <td>f. <math>5n^2 + 3n + 20 = O(n^2)</math></td> </tr> <tr> <td></td> <td>g. <math>n^3 + 4n^2 = \Omega(n^2)</math></td> </tr> </table>	a. $n^2 + 5n + 7 = \Theta(n^2)$	d. $100n + 5 = O(n^2)$	b. $\frac{1}{2} n(n-1) = \Theta(n^2)$	e. $n^2 + n = O(n^3)$	c. $\frac{1}{2} n^2 + 3n = \Theta(n^2)$	f. $5n^2 + 3n + 20 = O(n^2)$		g. $n^3 + 4n^2 = \Omega(n^2)$	6	
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9	Define Little Oh. Compare the orders of growth of following functions i) $(\frac{1}{2}) n (n-1)$ and $n^2$ ii) $3n+2$ and $n^2$	6									
10	Prove that      If $t_1(n) \in O(g_1(n))$ and $t_2(n) \in O(g_2(n))$ , then $t_1(n) + t_2(n) \in O(\max\{g_1(n), g_2(n)\})$	6	Jan 18, Jan 19, Jan 20								

<b>Mathematical Analysis of Non-Recursive Algorithms</b>			
11	Explain general plan of mathematical analysis of <b>non-recursive</b> algorithms with example.	8	Jul 17 Jul 19
12	Write the algorithm to find <b>maximum element</b> in the given array and explain the mathematical analysis of this non-recursive algorithm.	6	Jul 18, Jul 19,
13	Write the algorithm to check whether all the elements in the given array are <b>distinct</b> and explain the mathematical analysis of this non-recursive algorithm. Derive its worst-case time complexity	6	Jan 18, Jul 19
14	Write the algorithm to perform <b>matrix multiplication</b> and explain the mathematical analysis of this non-recursive algorithm	6	
<b>Mathematical Analysis of Recursive Algorithms</b>			
15	Explain general plan of mathematical analysis of <b>recursive algorithms</b> with example.	8	Jan 19
16	Illustrate mathematical analysis of recursive algorithm for <b>Towers of Hanoi</b> OR Give the recursive algorithm to solve Tower of Hanoi problem. Show that the efficiency of this algorithm is exponential	8 6	Jul 17, Jul 19, Jan 20
17	Illustrate mathematical analysis of recursive algorithm to find the <b>factorial</b> of a given number.	6	Jan 19
18	State the recursive algorithm to count the <b>bits of a decimal number</b> in its binary representation. Give its mathematical analysis.	6	
19	Write a recursive function to find and print all possible <b>permutations</b> of a given set of n elements	5	Jul 18
20	Solve the recurrence relation $M(n) = 2M(n-1) + 1$ for $n > 1$ ; $M(1) = 1$	5	Jul 18
<b>Problem Types and Data structures</b>			
21	Briefly explain the <b>important problem types</b> coming under design and analysis of algorithms.	6	Jun 17, Jan 18, Jan 19
22	Explain the following types of problems: i) Combinatorial problems ii) Graph problems	6	Jul 19
23	Briefly explain important <b>fundamental data structures</b> used in algorithm design.	6	Jan 19
24	Explain two common ways to represent the <b>graph</b> with example	4	Jan 18, Jan 19
25	Discuss adjacency matrix and adjacency list representation of a graph with suitable example.	6	Jul 19